Studuy of watching systems in cubic graphs

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A watching system in a graph G, which is an extension of identifying code, is a finite set $W = \{w_1, w_2, \ldots, w_k\}$ where each w_i is a couple $w_i = (v_i, Z_i)$, where v_i is a vertex and $Z_i \subseteq NG[v_i]$ such that $\{Z_1, \ldots, Z_k\}$ is an identifying system. In the present paper, we determine the watching number of some well-known cubic graphs.

References

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