## On the spectrum of derangement graphs of order a product of three primes

Modj<br/>taba Ghorbani<sup>1</sup> and Mina Rajabi-Parsa<sup>2</sup>

<sup>1</sup>Department of Mathematics, Faculty of Science, Shahid Rajaee Teacher Training University, mghorbani@srttu.edu <sup>2</sup>Department of Mathematica, Faculty of Science, Shahid Rajaee Teacher Training University

<sup>2</sup>Department of Mathematics, Faculty of Science, Shahid Rajaee Teacher Training University, mina.rparsa@gmail.com

A derangement is a permutation with no fixed points. The subset  $\mathcal{D}$  of a permutation group is derangement if all elements of  $\mathcal{D}$  are derangement. Let G be a permutation group, a derangement graph is a graph with vertex set G and two vertices are adjacent if and only if they do not intersect. In this paper, we compute the spectrum of derangement graphs of order a product of three primes.

## References

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